## IJIE 2016

Abstracts

# The 18th <br> International Conference on Industrial Engineering 

October 10~12, 2016<br>The Hotel President, Seoul, KOREA

Organized by
Korean Institute of Industrial Engineers

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constructed. There cycling rate and costs for each part are estimated by Recyclability Evaluation Method (REM) provided by Hitachi Ltd. Also, e CO 2 saving rate is calculated by a Life Cycle Inventory (LCI) database by the input-output tables. Next, the environmentally friendly and conomical disassembly parts selection is formulated by Goa Programming under the disassembly precedence relationships, which has objective functions: minimizing recycling costs, maximizing recycling rate and maximizing CO 2 saving rate. Finally, a case study is experimented and discussed for an optimal and Pareto optimal solution


## B1: Manufacturing Systems (2)

10 October $13: 30 \sim 14: 45$ / Place: Coral Hall (18F)
Chair: Mohd Norzaimi Che Ani
Universiti Kuala Lumpur, Malaysia)
© Corresponding Author

- B1.1

Common Due-date Assignment and Scheduling on a Single Machine with Sequence-dependent Setups and Discretely Controllable Processing Times

## Akmal Ulugov, Jeong-Hoon Shin, and Dong-Ho Lee

 Department of Industrial Engineering, Hanyang University, Seoul, epublic of KoreaThis study considers single machine common due-date assignment and scheduling with controllable processing times, which is the problem of determining the common cue-date, the process, whes of jobs to be processed on a single mache. Hepressing by selecting job is considered ne on which setup times deend on the type of job just dependent promming model is proposed for the problem with the objective of prorining sum earliness, tardiness, due-date assignment and job processing costs, where the job processing costs may be different for different available processing times. Then, due to the complexity of the problem, the two-stage heuristic algorithms are proposed in which an initial solution is obtained by the position weights and then it is improved by the pairwise interchange method together with determining the processing times. Computational experiments were done on various randomly generated test instances and the results are reported.

■ B1.2
Hybrid Algorithms for Order Acceptance and Scheduling
Gen-Han Wu ${ }^{1,}$, Hung-Wei Chen ${ }^{2}$, and Wang-Xian $\mathrm{Li}^{2}$
Department of Industrial Engineering and Management, Yuan Z University, Yuandong Road, Zhongli, Taoyuan 32003, Taiwan Graduate Institute of Logistics and Management, National Dong Hwa
University, Da Hsueh Road, Shoufeng, Hualien 97401, Taiwan University, Da Hsuen Road, Shoureng, Hualie
Correspondence: genhanwu@mail.ndhu.edu.tw
For some seasonal products, many orders often come in a short time. As a result, a make-to-order plant needs to select the adequate orders from the order inquiries and schedule the accepted orders in limited production
capacity. In this study, the integrating problem of order acceptance and arallel machine scheduling is studied. A mixed integer programming model is proposed to minimize the total tardiness. We arrange its encoding system as the orders' sequence based on the real numbers to fit the basi concept of particle swarm optimization. Initial solutions are randomly obtained and several improvement metaheuristic strategies based on particle swarm optimization, harmony search, and variable neighborhood earch are introduced. Comparative numerical results have shown that the proposed algorithms can obtain very good performance.

## B1.3

Modeling Part Replenishment System for Factory-in-factory Concept
Mohd Norzaimi Che Ani ${ }^{1}$, Mohd Khomeini Solihin Shafei ${ }^{1}$, Shahrul Kamarudin ${ }^{2}$, and Ishak Abdul Azid ${ }^{1{ }^{1}}$
Universititi Teknologi Petronas, Malaysia
Correspondence: ishakk.abdulazid@unikl.edu.my
This paper presents a study on a newly constructed factory-in-factory concept adopted by an automotive assembly factory, focusing on the part replenishment system. Poor design of the part replenishment system will cause the production idling due to part shortage. This situation will affect the production performance and at the same time will increase the lead time. The normal part replenishment system is infeasible in this case because parts in factory-in-factory are handled multi-paths. Furthermore, the cycle ime of the part replenishment is largely imbalance. Two possible part replenishment systems are proposed to solve the problem of productio idling and both systems are investigated through computer simulations enhanced with WITNESS simulation. The two factors influencing the overall system which are allocation of workers and the impact of changing path to the performances of the production are investigated. The main purpose to evaluate the possible methods of part replenishmentsystem is to determine the optimum solution of the production idling. The finding shows that there are clear indications of the cfects of herber wims and the paths for the performances of the system have signcarsus influencing the produr ing Bad her one of he propsed sous gilu producio

## - B1.4

A Sustainable Manufacturing System with Minimum Quantity Lubrication and Carbon Footprint

## Muhammad Omair and Biswajit Sarkar <br> Department of Industrial \& Management Engineering, Hanyang Unaprersity, Ansan, Gyeonggi-do 426 791, Republic of Kore Correspondence: bsbiswajitsarkar@gmail.com

The industrial sector faces many challenges over period of time from cost minimization to quality improvement, lean, green, and recently sustainable manufacturing. This paper proposes a manufacturing model with multiple objectives to minimize total cost of manufacturing, energy consumption and carbon footprint with the effect of variable production quantity to provide sustainable manufacturing. Total cost of manufacturing includes fixed cost and variable costs with the addition of cost of minimum quantity lubrication (MQL), solar energy and imperfect quality items. MQL system is an ecofriendly and sustainable to minime costof soligate
energy is renewable and sustainable source of energy ultimately producing positive impact on environment. This study also considers the situation where imperfect quality items are produced and are reworked at certain known rate. A numerical example is presented to depict the practical
application of the proposed model.

## B2: Operations Management (2)

- 10 October 13:30~14:45 / Place: Dong-hae Hall (18F)
- Chair: Lijing Zhu
(China University of Petroleum, China)
* Corresponding Author
- B2.1

Determination of Interval Order Policy at Distributor and Retailers Using Innovative Heuristic Method to Minimize Inventory Total Cost (Application Case at Distributor X in Indonesia)

## Rainisa Maini Heryanto, Santoso, and Elizabeth Ivana Kristianto Bachelor Program in Industrial Engineering, Maranatha Christian

 University, Bandung, West Java, IndonesiaA supply chain system usually consists of entities such as manufacture distributor, retailer, and customer. Integration in a supply chain system is an important factor to increase competitiveness between each other. This research will be discussed how to integrate between single distributor and ten realus feight producs and ha minimu inventory toal co Currently, distributor and each retailer have its own order policy and give impact that method which used to integrate order policy between distributor and

 holaing cost, then calcuating inventory total cost with current method and olicy $d$ le policy at dirthor

## - B2. 2

Designing an Optimal Inventory Replenishment Strategy in a Combined MTS-MTO Supply Chain
Eungab Kim and Daiki Min
Chool of Business, Ewha Womans University, Seoul, Republic of Korea Corrspondence. dmilagha.a.kr
We consider a combined MTS-MTO supply chain in which an MTO manufacturer replenishes component inventory from contract suppliers on Maluated; multiple suppliers with a fixed orden quant strategies ar suplier with volume flexibility We formulate the problem ung a sing Markoy Decision Process and propose a solution procedure for each strategy Numerical analysis provides interesting findings First the esi of an optimal replenishment strategy is dependent not only on the lead-tim but also on the traffic intensity at the MTO manufacturer Second the optimal policy for ordering inventory is of the control limit type.

## - B2.

Applying Ant Colony Algorithm to Inventory and Open Vehicle Routing Problem for Multiple Depots and Multiple Retailers' Distribution System

Anchalee Supithak
Industrial Engineering Department, Engineering Faculty, Thai-Nich Institute of Technology, Bangkok, Thailan Cor
This research apply the meta-heuristic of ant colony optimization to an established set of Inventory Open Vehicle Routing Problem (IOVRP) to the multiple depots and multiple retailers' distribution system. The objectives of this research is to develop practical replenishment decisions by using IOVRP concept and to compare the solutions of IOVRP to Inventory Routing Problem (IRP). The sensitivity analysis of related factors which are inventory holding cost, ordering cost and vehicle capacity, is performed. The result shows that the IOVRP gives better solution than that of IRP about $24.66 \%$. Based on the analysis of variance, the algorithm of IOVRP is advantage over IRP when the delivery is performed by small vehicle capacity with low ordering cost and high holding cost.

■ B2.4
Analysis of a Traceability System for Perishable Food Supply Chains
Lijing Zhu ${ }^{1}$ and Chulung Lee ${ }^{2 *}$
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This study analyzes an RFID-enabled traceability system for perishable food supply chains, which consist of an upstream supplier and a downstream retailer. The supplier delivers the RFID embedded perishable food to the retailer. The deployment of RFID enables constant monitoring of the parameters that are critical to the quality and the safety of food (such as temperature, humidity and time period) and therefore provides real-time food quality data. Based on the quality of food when it arrives at the retailer, the supplier sets the wholesale price and the retailer determines price markdowns, accordingly. We develop a decision-making mechanism for a perishable food supply chain when demand depends on the price, the quality, and the safety of perishable food. The optimal decisions of the participants are derived in both centralized and decentralized systems. We further propose an incentive scheme to coordinate the decentralized system. Numerical analysis is conducted to provide managerial insight in terms of RFID deployment in the perishable food supply chain.

## - B2.5

Fuzzy Production Quantity Model with Backorder
Harun Öztürk' and Gyu M. Lee ${ }^{2,}$
${ }_{2}^{1}$ Suleyman Demirel University, Turkey
Pusan National University, Korea
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ng the fuzzy set theory in modeling of inventory problem, it may possible and reasonable to discuss fuzzy production inventory models. In

# Determination of Interval Order Policy at Distributor and Retailers using Innovative Heuristic Method to Minimize Inventory Total Cost (Application Case at Distributor X in Indonesia) 

Rainisa Maini Heryanto, Santoso, and Elizabeth Ivana Kristianto<br>Bachelor Program in Industrial Engineering<br>Maranatha Christian University, Bandung, West Java, Indonesia<br>Tel: (+62) 22-2012186<br>Corresponding Author's Email: rainisa.mh@eng.maranatha.edu


#### Abstract

A supply chain system usually consists of entities such as manufacturer, distributor, retailer, and customer. Integration in a supply chain system is an important factor to increase competitiveness between each other. This research will be discussed how to integrate between single distributor and ten retailers of eight products and to find a minimum inventory total cost. Currently, distributor and each retailer have its own order policy and give an impact that inventory total cost is expensive. The innovative heuristic method which used to integrate order policy between distributor and retailers for multi item is a model of Praharsi, et al (2014). The initial step in this research is calculating the cost elements such as ordering cost and holding cost, then calculating inventory total cost with current method and innovative heuristic method. The result of this research is interval order policy at distributor and each retailer. This method is given a minimum inventory total cost at distributor and each retailer.


Keywords: integration, innovative heuristic, interval order policy, inventory total cost

## 1. INTRODUCTION

Supply chain management is a method or integrative approach for managing product flow, information, and money integratively involve entities from upstream to downstream which consist of supplier, manufacturer, distribution network, and logistic service (Pujawan, 2010). Manufacturer produces product, distributor distributes product from manufacturer to retailer, prepares and delivers product base on retailer order. Distributor will order product to manufacturer for keeping stock at warehouse so that well inventory control is really needed. Sometimes, each entity at supply chain has its own role for producing or ordering product.

This research concerns to apply one method to integrate two entities in supply chain system between distributor and retailers. There is single distributor and ten retailers of eight products and no integration policy between them. The supply chain system of that case is shown in Figure 1. Currently, distributor and each retailer have its own policy to order product. Distributor has a fix quantity order to manufacturer and every retailer has a fix period order to distributor.


Figure 1. Supply Chain System
The difference order policy between every entity or disintegrate between them give an impact to the inventory total cost. The expensive inventory total cost will cause low competitiveness between retailer and low advantage at distributor and retailer. This research tries to integrate order policy between distributor and retailers for multi item products to minimize inventory total cost in every chain and to increase advantage and competitiveness among retailers.

## 2. METHODOLOGY

This research uses innovative heuristic method base on model of Praharsi, et al (2014). The model is development model from any earlier research which major explain about joint replenishment. The characteristic of this model is consists of single warehouse and n retailers and for multi item. The aim of this method is determining interval order policy which has minimize inventory total cost.

The initial step for using this method is calculating the cost element such as ordering cost and holding cost. The following algorithm of innovative heuristic is shown in Figure 2.


Figure 2. Innovative Heuristic Algorithm (Praharsi, et al, 2014)
a. Step 1

Set all $\mathrm{k}_{\mathrm{Ri}}$ value to 1 for each retailer and each product.
b. Step 2

Calculate initial inventory total cost and calculate $\mathrm{Q}_{\mathrm{Ri}}$ value based on first step.
c. Step 3

Check $\mathrm{Q}_{\mathrm{Ri}}$ value. The expectation $\mathrm{Q}_{\mathrm{Ri}}$ value is less than or equal 1.4. It's mean that total inventory cost is the smallest. If $\mathrm{Q}_{\mathrm{Ri}}$ value is more than 1.4, then continue to the step 4. The value of 1.4 is based on model of Nilsson, et al (2007) which describes the lowest error from major replenishment cost.
d. Step 4

Add $\mathrm{k}_{\mathrm{Ri}}$ value $=\mathrm{k}_{\mathrm{Ri}}+1$ if $\mathrm{Q}_{\mathrm{Ri}}$ value more than 1.4 and then calculate new inventory total cost and $\mathrm{Q}_{\mathrm{Ri}}$ value.
e. Step 5

Check $\mathrm{Q}_{\mathrm{Ri}}$ value and new inventory total cost. The $\mathrm{Q}_{\mathrm{Ri}}$ value is less than or equal 1.4 and the new inventory total cost must be less than initial inventory total cost, so that continue to step 6 . If not and then go back to step 4 .
f. Step 6

Check $\mathrm{Q}_{\mathrm{Ri}}$ value and new inventory total cost must be less than initial inventory total cost. If this condition is fulfilled, so that inventory total cost is the smallest. If not then go to step 7.
g. Step 7

Less $\mathrm{k}_{\mathrm{Ri}}$ value $=\mathrm{k}_{\mathrm{Ri}}-1$ if $\mathrm{k}_{\mathrm{Ri}}$ value more than 1 and then calculate new inventory total cost and $\mathrm{Q}_{\mathrm{Ri}}$ value.
h. Step 8

Add $\mathrm{k}_{\mathrm{Ri}}$ value $=\mathrm{k}_{\mathrm{Ri}}+1$ for the highest or maximize $\mathrm{Q}_{\mathrm{Ri}}$ value and then calculate new inventory total cost and $\mathrm{Q}_{\mathrm{Ri}}$ value.
i. Step 9

Check $\mathrm{Q}_{\mathrm{Ri}}$ value and new inventory total cost. The $\mathrm{Q}_{\mathrm{Ri}}$ value is less than or equal 1.4 and the new inventory total cost must be less than initial inventory total cost. It's mean that total inventory cost is the smallest. If not then go to step 8 till $\mathrm{Q}_{\mathrm{Ri}}$ value less than or equal to 1.4 and new inventory total cost less than initial inventory total cost.

### 2.1 Model Component

### 2.1.1Assumption

The assumptions for this method and this case are described below:

1. Demand rate for each retailer and each product is constant value.
2. Retailer uses EOQ (Economic Order Quantity) to order to distributor.
3. Backorder isn't allowed.

### 2.1.2 Performance Criteria and Decision Variable

Performance criteria used in this research is minimizing total inventory cost. The total inventory cost consists of ordering cost and holding cost.

The decision variable in this research using innovative heuristic is distributor order interval and inventory total cost. Order interval at retailer is multiple from order frequency at distributor. If $t_{0}$ more than or equal than $t_{R}$ so that the frequency value at retailer $f_{R} \in(1,2,3, \ldots)$. If $t_{0}$ less than $t_{R}$ so that the frequency value at retailer $f_{R} \in\left(\frac{1}{2}, \frac{1}{3}, \frac{1}{4}, \ldots\right)$

## 3. MATHEMATICS

### 3.1 Mathematics Notation

Index Notation:
$\begin{array}{ll}\mathrm{i} & =\text { index for product }(\mathrm{i}=1,2, \ldots, 8) \\ \mathrm{R} & =\text { index for retailer }(\mathrm{R}=1,2, \ldots, 10)\end{array}$

## Decision Variable:

$\begin{array}{ll}\mathrm{t}_{0} & =\text { ordering interval at distributor (month) } \\ \mathrm{TC}_{(\mathrm{kRi})} & =\text { inventory total cost (IDR/month) }\end{array}$

Parameter notation:
$\mathrm{w}_{0} \quad=$ major ordering cost at distributor (IDR/order)
$\mathrm{w}_{\mathrm{i}} \quad=$ ordering cost for product i at distributor (IDR/order)
$\mathrm{H}_{\mathrm{i}} \quad=$ holding cost for product i at distributor (IDR/month)
$\mathrm{D}_{\mathrm{Ri}} \quad=$ demand for retailer R and product i (box)
$\mathrm{f}_{0} \quad=$ ordering frequency at distributor (order/month)
$\mathrm{f}_{\mathrm{R}} \quad=$ ordering frequency at retailer R (order/month)
$\mathrm{S}_{\mathrm{R}} \quad=$ major ordering cost at retailer R (IDR/order)
$\mathrm{S}_{\mathrm{Ri}} \quad=$ ordering cost at retailer R and product i (IDR/order)
$\mathrm{t}_{\mathrm{Ri}} \quad=$ interval order time at retailer R and product i (month)
$\mathrm{t}_{\mathrm{R}} \quad=$ ordering interval at retailer R (month)
$\mathrm{h}_{\mathrm{Ri}} \quad=$ holding cost at retailer R for product i (IDR/month)
$\mathrm{Q}_{\mathrm{Ri}} \quad=$ ratio between holding cost and order cost at retailer R for product i
$\mathrm{k}_{\mathrm{Ri}} \quad=$ integer value $=1$ as comparison

### 3.2 Component Cost at Distributor

Ordering Cost
Ordering cost at distributor consists of major ordering cost (fixed ordering cost) and minor ordering cost (variable ordering cost) with formulation:
Total ordering cost $=\frac{\mathrm{w}_{0}}{\mathrm{t}_{0}}+\sum_{\mathrm{i}=1}^{8} \frac{\mathrm{w}_{\mathrm{i}}}{\mathrm{t}_{0}}$

Holding Cost
Distributor will have holding cost if $t_{0}>t_{R}$ or $f_{R}>f_{0}$ with formulation:
Total holding cost $=\sum_{R=1}^{10} \sum_{i=1}^{8} \frac{H_{i} D_{R i} t_{R}\left(f_{R}-1\right)}{2}$ for $f_{R}>1$

### 3.3 Component Cost at Retailer

Ordering Cost
Ordering cost at all retailers consists of major ordering cost (fixed ordering cost) and minor ordering cost (variable ordering cost) for each product with formulation:
Total ordering cost $=\sum_{R=1}^{10} \frac{S_{R}}{t_{R}}+\sum_{R=1}^{10} \sum_{i=1}^{8} \frac{S_{R i}}{t_{R i}}$ where $t_{R} f_{R}=t_{0}$ and $t_{R i}=k_{R i} t_{R}$
Holding Cost
Holding cost at all retailers with formulation:
Total holding cost $=\sum_{\mathrm{R}=1}^{10} \sum_{i=1}^{8} \mathrm{~h}_{\mathrm{Ri}} \mathrm{D}_{\mathrm{Ri}} \mathrm{t}_{\mathrm{Ri}}$

### 3.4 Inventory Total Cost

Inventory total cost using innovative heuristic can be formulated:
Inventory total cost $=\frac{w_{0}}{t_{0}}+\sum_{i=1}^{8} \frac{W_{i}}{t_{0}}+\sum_{R=1}^{10} \sum_{i=1}^{8} \frac{H_{i} D_{R i} t_{R}\left(f_{R}-1\right)}{2}+\sum_{R=1}^{10} \frac{S_{R}}{t_{R}}+\sum_{R=1}^{10} \sum_{i=1}^{8} \frac{S_{R i}}{t_{R i}}+\sum_{R=1}^{10} \sum_{i=1}^{8} \frac{h_{R i} D_{R i} t_{R i}}{2}$
Substitute: $\mathrm{t}_{\mathrm{R}} \mathrm{f}_{\mathrm{R}}=\mathrm{t}_{0}$ and $\mathrm{t}_{\mathrm{Ri}}=\mathrm{k}_{\mathrm{Ri}} \mathrm{t}_{\mathrm{R}}$, then:

Inventory total cost $=\frac{w_{0}}{t_{0}}+\sum_{i=1}^{8} \frac{W_{i}}{t_{0}}+\sum_{R=1}^{10} \sum_{i=1}^{8} \frac{H_{i} D_{R i} t_{0}\left(1-\frac{1}{f_{R}}\right)}{2}+\sum_{R=1}^{10} \frac{f_{R} S_{R}}{t_{0}}+\sum_{R=1}^{10} \sum_{i=1}^{8} \frac{f_{R} S_{R i} t_{0}}{\mathrm{t}_{0}}+\sum_{\mathrm{R}=1}^{10} \sum_{i=1}^{8} \frac{h_{\mathrm{Ri}} D_{R i} \mathrm{R}_{\mathrm{Ri}} \mathrm{t}_{0}}{2 \mathrm{f}_{\mathrm{R}}}$
The inventory total cost formulation is calculated by finding $t_{0}$ value as ordering interval at distributor. $t_{0}$ value is reached if $\frac{\mathrm{dTC}}{\mathrm{dt}_{0}}=0$ so $\mathrm{t}_{0}$ can be formulated:

$$
\begin{equation*}
\mathrm{t}_{0} *=\sqrt{\frac{2\left[\mathrm{w}_{0}+\sum_{\mathrm{i}=1}^{8} \mathrm{w}_{\mathrm{i}}+\sum_{\mathrm{R}=1}^{10} \mathrm{f}_{\mathrm{R}} \mathrm{~S}_{\mathrm{R}}+\sum_{\mathrm{R}=1}^{10} \sum_{\mathrm{i}=1}^{8} \frac{\mathrm{f}_{\mathrm{R}} \mathrm{~S}_{\mathrm{Ri}}}{\mathrm{k}_{\mathrm{Ri}}}\right]}{\sqrt{\left.\sum_{\mathrm{R}=1}^{10} \sum_{i=1}^{8} \mathrm{H}_{\mathrm{i}} \mathrm{D}_{\mathrm{Ri}}\left(1-\frac{1}{\mathrm{f}_{\mathrm{R}}}\right)+\sum_{\mathrm{R}=1}^{10} \sum_{\mathrm{i}=1}^{8} \frac{\mathrm{~h}_{\mathrm{Ri}} \mathrm{D}_{\mathrm{Ri}} \mathrm{k}_{\mathrm{Ri}}}{\mathrm{f}_{\mathrm{R}}}\right]}} \sqrt{ }} \tag{7}
\end{equation*}
$$

Substitute (7) to (6) so that the optimal inventory total cost can be formulated:

$$
\begin{equation*}
\mathrm{TC} *=\sqrt{2\left[\mathrm{w}_{0}+\sum_{\mathrm{i}=1}^{8} \mathrm{w}_{\mathrm{i}}+\sum_{\mathrm{R}=1}^{10} \mathrm{f}_{\mathrm{R}} \mathrm{~S}_{\mathrm{R}}+\sum_{\mathrm{R}=1}^{10} \sum_{\mathrm{i}=1}^{8} \frac{\mathrm{f}_{\mathrm{R}} \mathrm{~S}_{\mathrm{Ri}}}{\mathrm{k}_{\mathrm{Ri}}}\right]\left[\sum_{\mathrm{R}=1}^{10} \sum_{\mathrm{i}=1}^{8} \mathrm{H}_{\mathrm{i}} \mathrm{D}_{\mathrm{Ri}}\left(1-\frac{1}{\mathrm{f}_{\mathrm{R}}}\right)+\sum_{\mathrm{R}=1}^{10} \sum_{i=1}^{8} \frac{\mathrm{~h}_{\mathrm{Ri}} \mathrm{D}_{\mathrm{Ri}} \mathrm{k}_{\mathrm{Ri}}}{\mathrm{f}_{\mathrm{R}}}\right]} \tag{8}
\end{equation*}
$$

### 3.5 Ratio Between Ordering Cost and Holding Cost

The ratio between ordering cost and holding cost or $\mathrm{Q}_{\mathrm{Ri}}$ value is formulated:
$Q_{R i}=\frac{\frac{f_{R} S_{R i}}{k_{R i} t_{0}}}{\frac{h_{R i} D_{R i} k_{R i} t_{0}}{2 f_{R}}}=\frac{2 f_{R} S_{R i}}{h_{R i} D_{R i} k^{2}{ }_{R i} t^{2}{ }_{0}}$

## 4. RESULT AND DISCUSSION

In this research, the innovative heuristic method will apply at distributor X which has 10 retailers and 8 products. Based on calculating result, Distributor X has major ordering cost $\left(\mathrm{w}_{0}\right)$ about 194,327 IDR/order, minor ordering cost for each product $\left(\mathrm{w}_{\mathrm{i}}\right)$ about $785 / \mathrm{IDR} /$ order, and holding cost for each product $\left(\mathrm{H}_{\mathrm{i}}\right)$ about $1,517 \mathrm{IDR} / \mathrm{month}$. The initial data from each retailer can be shown at Table 1.

Table 1. Ordering Cost at Retailer

| Retailer <br> (R) | Major Ordering Cost ( $\mathrm{S}_{\mathrm{R}}$ ) <br> (IDR/order) | Minor Ordering Cost ( $\mathrm{S}_{\mathrm{R}}$ ) (IDR/order) |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\mathrm{i}=1$ | 2 | 3 | 4 | 5 | 6 | 7 | 8 |  |
| 1 | 120,349 | 1,063 | 1,063 | 1,063 | 1,063 | 1,063 | 1,063 | 1,063 | 1,063 |
| 2 | 122,779 | 1,474 | 1,474 | 1,474 | 1,474 | 1,474 | 1,474 | 1,474 | 1,474 |
| 3 | 121,911 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 |
| 4 | 125,466 | 1,510 | 1,510 | 1,510 | 1,510 | 1,510 | 1,510 | 1,510 | 1,510 |
| 5 | 122,432 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 |
| 6 | 118,849 | 998 | 998 | 998 | 998 | 998 | 998 | 998 | 998 |
| 7 | 122,432 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 |
| 8 | 120,411 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 | 1,040 |
| 9 | 120,609 | 1,063 | 1,063 | 1,063 | 1,063 | 1,063 | 1,063 | 1,063 | 1,063 |
| 10 | 120,349 | 998 | 998 | 998 | 998 | 998 | 998 | 998 | 998 |

Table 2. Holding Cost and Demand at Retailer

| Retailer(R) | Holding Cost ( $\mathrm{h}_{\mathrm{Ri}}$ ) (IDR/month) |  |  |  |  |  |  |  | $\begin{gathered} \text { Demand }\left(D_{R i}\right) \\ \text { (box) } \end{gathered}$ |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | i=1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |
| 1 | 1,522 | 1,522 | 513 | 521 | 757 | 871 | 4,337 | 696 | 209 | 101 | 5 | 3 | 5 | 3 | 2 | 2 |
| 2 | 1,512 | 1,521 | 512 | 521 | 756 | 870 | 4,333 | 696 | 464 | 145 | 87 | 64 | 11 | 2 | 1 | 2 |
| 3 | 1,527 | 1,535 | 517 | 526 | 764 | 878 | 4,375 | 703 | 329 | 225 | 12 | 28 | 7 | 5 | 2 | 7 |
| 4 | 1,515 | 1,523 | 513 | 522 | 757 | 871 | 4,430 | 697 | 1,089 | 236 | 10 | 26 | 5 | 2 | 2 | 2 |
| 5 | 1,555 | 1,564 | 527 | 536 | 778 | 895 | 4,456 | 715 | 324 | 153 | 41 | 23 | 5 | 3 | 1 | 4 |
| 6 | 1,539 | 1,539 | 519 | 527 | 765 | 880 | 4,384 | 704 | 186 | 94 | 5 | 2 | 1 | 5 | 2 | 2 |
| 7 | 1,578 | 1,587 | 535 | 543 | 789 | 908 | 4,521 | 726 | 297 | 155 | 4 | 15 | 4 | 2 | 2 | 2 |
| 8 | 1,671 | 1,680 | 566 | 575 | 835 | 961 | 4,787 | 769 | 100 | 41 | 2 | 3 | 1 | 3 | 2 | 1 |
| 9 | 1,528 | 1,528 | 515 | 523 | 760 | 874 | 4,353 | 699 | 188 | 99 | 3 | 8 | 2 | 6 | 2 | 2 |
| 10 | 1,630 | 1,630 | 549 | 558 | 811 | 933 | 4,645 | 746 | 118 | 64 | 1 | 3 | 1 | 2 | 2 | 2 |

Currently, distributor and each retailer have its own policy to order product. Distributor has a fix quantity order to manufacturer and every retailer has a fix period order to distributor. The minimum inventory total cost with innovative heuristic method is reached by 147 iteration process and can be shown at Table 3. Based on calculation process with current method which no integration among them and innovative heuristic method with integration, the comparison inventory total cost can be shown at Table 4 and the ordering interval and ordering quantity at distributor and each retailer can be shown at Table 5.

Table 3. Iteration Process with Innovative Heuristic

| No | Total Cost (IDR/month) | Qri<1,4 | No | Total Cost (IDR/month) | Qri<1,4 | No | Total Cost (IDR/month) | Qri<1,4 | No | Total Cost (IDR/month) | Qri<1,4 | No | Total Cost (IDR/month) | Qri<1,4 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 10.553 .397 | No | 31 | 10.475.963 | No | 61 | 10.441.605 | No | 91 | 10.426.058 | No | 121 | 10.420.124 | No |
| 2 | 10.553 .124 | No | 32 | 10.475 .117 | No | 62 | 10.440.904 | No | 92 | 10.425.801 | No | 122 | 10.420 .019 | No |
| 3 | 10.546 .888 | No | 33 | 10.473 .963 | No | 63 | 10.440.568 | No | 93 | 10.425.634 | No | 123 | 10.419 .826 | No |
| 4 | 10.540 .669 | No | 34 | 10.472 .737 | No | 64 | 10.440.206 | No | 94 | 10.425.006 | No | 124 | 10.419 .756 | No |
| 5 | 10.534 .568 | No | 35 | 10.471 .515 | No | 65 | 10.439.882 | No | 95 | 10.424.781 | No | 125 | 10.419.874 | No |
| 6 | 10.531 .792 | No | 36 | 10.470.297 | No | 66 | 10.439 .539 | No | 96 | 10.424.546 | No | 126 | 10.419.829 | No |
| 7 | 10.525 .765 | No | 37 | 10.467 .919 | No | 67 | 10.439.212 | No | 97 | 10.423.983 | No | 127 | 10.419 .547 | No |
| 8 | 10.523 .736 | No | 38 | 10.466.779 | No | 68 | 10.438 .446 | No | 98 | 10.423 .751 | No | 128 | 10.419 .745 | No |
| 9 | 10.520 .989 | No | 39 | 10.464 .955 | No | 69 | 10.436.803 | No | 99 | 10.423.523 | No | 129 | 10.419 .953 | No |
| 10 | 10.518 .980 | No | 40 | 10.464 .400 | No | 70 | 10.435.966 | No | 100 | 10.423.084 | No | 130 | 10.419 .823 | No |
| 11 | 10.516.260 | No | 41 | 10.463.241 | No | 71 | 10.435 .743 | No | 101 | 10.422.874 | No | 131 | 10.419 .714 | No |
| 12 | 10.514 .961 | No | 42 | 10.462 .132 | No | 72 | 10.434.957 | No | 102 | 10.422 .531 | No | 132 | 10.419 .661 | No |
| 13 | 10.509 .133 | No | 43 | 10.461 .315 | No | 73 | 10.434.506 | No | 103 | 10.422.404 | No | 133 | 10.419 .606 | No |
| 14 | 10.507 .813 | No | 44 | 10.460.239 | No | 74 | 10.434 .176 | No | 104 | 10.422.307 | No | 134 | 10.419 .557 | No |
| 15 | 10.505 .180 | No | 45 | 10.458.029 | No | 75 | 10.433.409 | No | 105 | 10.422.118 | No | 135 | 10.419 .510 | No |
| 16 | 10.503 .918 | No | 46 | 10.457 .493 | No | 76 | 10.432.067 | No | 106 | 10.422.006 | No | 136 | 10.419.424 | No |
| 17 | 10.502 .609 | No | 47 | 10.456.705 | No | 77 | 10.431.472 | No | 107 | 10.421.828 | No | 137 | 10.419 .285 | No |
| 18 | 10.501 .354 | No | 48 | 10.454 .546 | No | 78 | 10.431 .186 | No | 108 | 10.421 .613 | No | 138 | 10.419.249 | No |
| 19 | 10.500.378 | No | 49 | 10.452 .412 | No | 79 | 10.430 .498 | No | 109 | 10.421 .511 | No | 139 | 10.419.225 | No |
| 20 | 10.498 .559 | No | 50 | 10.452 .040 | No | 80 | 10.430 .206 | No | 110 | 10.421.304 | No | 140 | 10.419 .183 | No |
| 21 | 10.493.008 | No | 51 | 10.450 .993 | No | 81 | 10.429 .567 | No | 111 | 10.421 .168 | No | 141 | 10.419 .163 | No |
| 22 | 10.490 .480 | No | 52 | 10.449.955 | No | 82 | 10.429.147 | No | 112 | 10.421 .068 | No | 142 | 10.419 .118 | No |
| 23 | 10.489.266 | No | 53 | 10.449.112 | No | 83 | 10.428.944 | No | 113 | 10.420.974 | No | 143 | 10.419 .054 | No |
| 24 | 10.488 .007 | No | 54 | 10.447.492 | No | 84 | 10.428.640 | No | 114 | 10.420.829 | No | 144 | 10.419 .015 | No |
| 25 | 10.486.111 | No | 55 | 10.447.147 | No | 85 | 10.428.250 | No | 115 | 10.420 .559 | No | 145 | 10.419.022 | No |
| 26 | 10.485 .153 | No | 56 | 10.446.153 | No | 86 | 10.427 .700 | No | 116 | 10.420 .572 | No | 146 | 10.419 .033 | No |
| 27 | 10.483.392 | No | 57 | 10.445.201 | No | 87 | 10.427.116 | No | 117 | 10.420 .589 | No | 147 | 10.419.006 | Yes |
| 28 | 10.480 .906 | No | 58 | 10.444 .238 | No | 88 | 10.426.977 | No | 118 | 10.420 .512 | No | 148 | 10.419 .064 | Yes |
| 29 | 10.478.457 | No | 59 | 10.443.278 | No | 89 | 10.426.829 | No | 119 | 10.420 .404 | No | 149 | 10.419 .055 | Yes |
| 30 | 10.477.209 | No | 60 | 10.441.960 | No | 90 | 10.426.316 | No | 120 | 10.420.343 | No | 150 | 10.419.041 | Yes |

Table 4. Comparison of Inventory Total Cost

| Position | Current Method (IDR/month) | Innovative Heuristic Method (IDR/month) |
| :---: | :---: | :---: |
| Distributor | $5,502,198$ | $4,375,562$ |
| Retailer 1 | 576,961 | 447,938 |
| Retailer 2 | 665,275 | 555,047 |
| Retailer 3 | $1,097,611$ | 805,079 |
| Retailer 4 | $1,735,456$ | $1,240,577$ |
| Retailer 5 | 621,876 | 508,229 |
| Retailer 6 | 563,561 | 434,555 |
| Retailer 7 | $1,092,285$ | 790,237 |
| Retailer 8 | 546,537 | 404,338 |
| Retailer 9 | 574,088 | 443,409 |
| Retailer 10 | 552,378 | 413,675 |
| Total | $13,528,226$ | $10,419,006$ |

Table 5. Comparison of Ordering Interval and Ordering Quantity

| Position | Current Method |  | Innovative Heuristic Method |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Ordering Interval <br> (month) | Ordering Quantity <br> (box) | Ordering Interval <br> (month) | Ordering Quantity <br> (box) |
| Distributor | - | 6,150 | 1.401 | 7,121 |
| Retailer 1 | 0.250 | 83 | 0.350 | 116 |
| Retailer 2 | 0.250 | 194 | 0.350 | 272 |
| Retailer 3 | 0.125 | 77 | 0.175 | 108 |
| Retailer 4 | 0.083 | 115 | 0.117 | 161 |
| Retailer 5 | 0.250 | 139 | 0.350 | 195 |
| Retailer 6 | 0.250 | 75 | 0.350 | 105 |
| Retailer 7 | 0.125 | 61 | 0.175 | 85 |
| Retailer 8 | 0.250 | 39 | 0.350 | 54 |
| Retailer 9 | 0.250 | 78 | 0.350 | 109 |
| Retailer 10 | 0.250 | 49 | 0.350 | 68 |

## 4. CONCLUSION

Based on calculation process, result and discussion, innovative heuristic method has a minimum inventory total cost compared with current method. Currently, distributor and each retailer have its own order policy and give an impact that inventory total cost is expensive. This innovative heuristic method has optimal ordering interval and integration between distributor and retailers.

This method also gives saving about $3,109,220 \mathrm{IDR} /$ month or $23 \% /$ month. Integration and minimum inventory total cost will increase competitiveness among retailers.

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